CLAIMS

1. (Currently amended) -Method A method of keying, in a space presenting two spatial dimensions and one temporal dimension, a signal S measured in positions U subject to an uncertainty, from a set of N signals measured in determined positions, the N +1 signals having their temporal origin in a same plane, the said method involving: comprising the steps of

re-sampling the N + 1 signals in order to place them all in an identical sampling range $\frac{1}{2}$

filtering the signal S in order to place it in a range of frequencies that is identical to that of the N signals 5;

and wherein the method also involves:

defining for each position U associated with the measurements of the signal S a same neighbourhood of places V in the spatio-temporal space centred on the position U;

producing a layered neural network RN^v for each location V in the neighbourhood of U, each network having an entry vector of dimension N associated with the measurements of the N signals and a scalar exit associated with a measurement of the signal S;

for each neural network RN v , defining a learning set such that the entries are the collection of all the vectors of measurements of the N signals situated at the locations V and the exits are the collection of the values of the signal S at the positions U for all the positions U,;

fixing a predetermined number of iterations Nit for all the neural networks and launching the learning phases of all the networks;

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for each neural network RN^v, calculating the value of the integral $\frac{1}{2} = \sum_{i=1}^{v} f_i$ of the function giving the error committed by the network at each iteration, from iteration 1 to iteration Nit = ;

for each surface spatial position V_k of the neighbourhood, retaining from among the two positions $\frac{V_k(x_k, y_k, t_1)}{V_k(x_k, y_k, t_1)}$, $V_k(x_k, y_k, t_2)$ the position V_m , for which the signal estimated by the respective neural networks $\frac{RNV}{k}$ and $\frac{RN^{v_1}}{k}$ and $\frac{RN^{v_2}}{k}$ presents a maximum variance $\frac{1}{2}$; and

choosing from among the positions V_m the position $\frac{V_{cal}}{V_{cal}}$ for which the integral $\frac{V_m}{V_m}$ is minimum.

2. (Currently amended) -Method The method according to claim 1, wherein the use of the neural networks comprises:

defining for each position U associated with the measurements of the signal S a same neighbourhood of places V in the spatia-temporal space centred on the position U;

producing a layered neural network RN^v for each location V in the neighbourhood of U. each network having an entry vector of dimension N x M associated with the measurements on a time window of size M centred on V of the N signals and a scalar exit associated with a value of the signal $S_{\frac{\pi}{2}}$:

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for each neural network, defining a learning set such that the entries are the collection of all the vectors of measurements taken in a time window of size M centred on V for the N signals and the exits are the collection of the values of the signal S at the positions U for all the positions U;

fixing a predetermined number of iterations Nit for all the neural networks and launching the learning phases of all the networks;

for each neural network RN^v, calculating the value of the integral $\frac{!,V}{\sum}$ of the function giving the error committed by the network at each iteration, from iteration 1 to iteration Nit;

for each surface spatial position Vk of the neighbourhood with coordinates $(Xk,Yk:tO \underline{x_k}, \underline{y_k}, \underline{t_0})$, selecting in the time dimension the pair of locations $V1_k(Xk \underline{x_k}, Yk \underline{y_k}, \underline{t_1})$, $V2_k(Xk \underline{x_k}, Yk \underline{y_k}, \underline{t_2})$, of the neighbourhood which correspond to the two smallest local minima of the two integrals $(IV \sum_{k=1}^{v_1} \sum_{k=1}^{v_2} \sum_{k=1}^{v_2$

for each surface spatial position V_k of the neighbourhood, retaining from among the two positions $V1_k(X_k x_k, Y_k y_k, t_1) = V2_k(X_k x_k, Y_k y_k, t_2)$ the position V_m , for which the signal estimated by the respective neural networks $RNV \setminus RN^{v1}_k$ and RN^{v2}_k presents a maximum variance $\frac{1}{2}$; and

choosing from among the V_m positions the position Veal for which the integral $$\underline{\mbox{Lvrn}}\,\underline{\sum}^v{}_m$$ is minimum.

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